# Solution to Homework Set \#3 

CE 327 - Spring 2009
Assigned Sa, 4/11 Due Sa, 4/18

## Problem 1

Textbook: 5.1
Weight of tractor, $48,000 \mathrm{lb} \Rightarrow 24$ tons
Tension in the cable, 4,680 lb
Grade factor, 0.04
Tension in cable $=4,680 \mathrm{lb}$
Deduct grade resistance, $0.04 \times 48,000=-1,920 \mathrm{lb}$
Tension required to overcome rolling resistance $=2,760 \mathrm{lb}$

Rolling resistance: $\quad \frac{2,760 \mathrm{lb}}{24 \text { tons }}=\mathbf{1 1 5} \mathbf{~ l b} / \mathbf{t n}$

## Problem 2

Textbook: 5.3
Gross weight, 94,000 lb
Speed, $12 \mathrm{mph}: \frac{12 \mathrm{miles}}{\mathrm{hr}} \times \frac{5,280 \mathrm{ft}}{\text { mile }} \times \frac{\mathrm{hr}}{60 \mathrm{~min}}=1,056 \mathrm{ft}$ per min
Effect of grade, $\quad 0.04 \times 94,000 \mathrm{lb}=3,760 \mathrm{lb}$
Decreased force required to move the load down grade, $0.04 \times 94,170 \mathrm{lb}=3,760 \mathrm{lb}$
Difference in force resulting from grade $=7,520 \mathrm{lb}$

Energy resulting from gain in force, $7,520 \mathrm{lb} \times 1,056=7,941,120 \mathrm{ft} \mathrm{lb}$ per min.
Equivalent gain in power: $\frac{7,941,120 \mathrm{ft}-\mathrm{lb} / \mathrm{min}}{33,000}=\mathbf{2 4 1} \mathbf{~ h p}$

## Problem 3

A tractor has a 360-hp engine under standard conditions. What is the power of the engine when it is operating at an altitude 6500 ft above sea level and at a temperature of $90^{\circ} \mathrm{F}$ ?
*** SOLUTION ***
HPavailable $=$ RatedHP $\left(\frac{P_{\text {act }}}{P_{\text {std }}}\right) \sqrt{\frac{T_{\text {std }}}{T_{\text {act }}}}=360 \mathrm{hp}\left(\frac{23.45}{29.92}\right) \sqrt{\frac{520^{\circ} \mathrm{R}}{550^{\circ} R}}=274.35 \mathrm{hp}$

## Problem 4

## Textbook: 6.1

## DOZER PRODUCTION

Step 1. Idea maximum production.
D6H with a 6S blade; 200 ft push distance.
From Fig. 6-12 ideal production is 210 lcy per hour
Step 2. Material-weight correction factor.
Bank weight for this project is given as 110 pcf ; therefore
$110 \mathrm{lb} / \mathrm{cu} \mathrm{ft} \times 27 \mathrm{cu} \mathrm{ft} / \mathrm{cu} y d=2,970 \mathrm{lb} / \mathrm{bcy}$
Soil Density correction: Table 4-1, 15\%

$$
\frac{2,970}{1.15}=2,583 \mathrm{lb} / \mathrm{lcy}
$$

Standard condition is 2,300 lb/lcy
Material weight correction $=\frac{2,300 \mathrm{lb} / \text { lcy }}{2,583 \mathrm{lb} / \text { lcy }}=0.89$
Step 3. Determine the operator correction factor (see Table 6-2).
Operator
0.75

Step 4. Material-type correction factor. dry noncohesive silty sand (see Table 6-2).
Material (type) 0.80
Step 5. Operating-technique correction factor. No special technique the factor is 1.
Normal Dozing $\quad 1.00$
Step 6. Visibility correction factor. In the case of good visibility use 1.
Visibility $\quad 1.00$

Step 7. Efficiency factor. See Table 6-2 or use the assumed number of operating minutes per hour divided by 60 minutes.
Job Efficiency
0.83

Step 8. Machine transmission factor. See Table 6-2.
Transmission 1.00
Step 9. Blade adjustment factor. See note bottom Table 6-2.
Blade
1.00

Step 10. Grade correction factor. Uphill on a 2\% grade (Table 6-2 continued). Grade 0.98
Step 11. Determine the product of the correction factors.
Product, correction factors $=$

$$
0.89 \times 0.75 \times 0.80 \times 1.00 \times 1.00 \times 0.83 \times 1.00 \times 1.00 \times 0.98=0.43
$$

Step 12. Determine the dozer production.

$$
\text { Production }=210 \text { lcy } / \mathrm{hr} \times 0.43=90 \text { lcy } / \mathrm{hr}
$$

Step 13. Conversion to bcy.

$$
\frac{90 \mathrm{lcy} / \mathrm{hr}}{1.15}=78 \mathrm{bcy} / \mathrm{hr}
$$

Step 14. Determine the total cost to operate the dozer.
Cost:

| O\&O | $\$ 54.00$ per hour |
| :--- | :--- |
| Operator $(\$ 12.00 \times 1.35)$ | $\$ 16.20$ |
| Total | $\$ 70.20$ per hour |

Step 15. Determine the direct unit production cost.

$$
\text { Direct production cost }=\frac{\$ 70.20 \text { per hour }}{78 \mathrm{bcy} / \mathrm{hr}}=\$ 0.900 \text { per bcy }
$$

## Problem 5

A 300-hp crawler tractor will be used to clear small trees and brush from a 15-acre site. By operating in the first gear, the tractor should be able to maintain a continuous forward speed of 1.2 mph . An angle-clearing blade will be used, and from past experience the average resulting clear width will be 10 ft . Assuming an efficiency of $50-\mathrm{min}-\mathrm{hr}$, how long will take to knock down the vegetation?
*** SOLUTION ***
Using Eq. 6.8 of Textbook, we have

$$
\begin{aligned}
& \text { Pr oduction }=\frac{\text { width of cut }(\mathrm{ft}) \times \text { speed }(\mathrm{mph})}{10}=\frac{10(1.2)}{10}=1.2 \mathrm{acre} / \mathrm{hr} \\
& \text { Time to knock down the vegetation }=\frac{\text { Number of Acres }}{\text { Production }}=\frac{15}{1.2}=12.5 \text { hours }
\end{aligned}
$$

## Problem 6

Textbook: 7.2
Using equation 7-2:
Travel time per segment, $\min =\frac{1,300 \mathrm{ft}}{88 \times 23 \mathrm{mph}} \Rightarrow 0.64 \mathrm{~min}$

## Problem 7

Textbook: 7.6

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## Step 1:

| Empty weight (EVW) | Table 7-1 | 96,880 lb |
| :---: | :---: | :---: |
| Load volume: | $0.90 \times 31 \mathrm{cu} \mathrm{yd}=27.9$ lcy |  |
|  | swell factor cohesive $=0.76$ |  |
| Load volume bank measure: | 27.9 lcy $\times 0.76 \times 1.1=23.3$ bcy |  |
| Weight of load: | 23.3 bcy $\times 2,900 \mathrm{lb}$ per bcy $=$ | 67,570 lb |
|  | Gross weight (GVW) | 164,450 lb |


|  |  | Step 2 | Step 3 | Step 4 | Step 5 | Step 6 |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: |
|  | Distance | RR | GR | TR | Speed | time |
|  | ft | $\%$ | $\%$ | $\%$ | mph | min |
| Haul (164,450 lb | 200 (acc.) | 3 | 5 | 8 | 5 | 0.45 |
| or 83.16 tons) | 400 | 3 | 5 | 8 | 11 | 0.41 |
|  | 1,800 | 3 | -2 | 1 | 34 | 0.60 |
|  | 200 (dec.) | 3 | -4 | -1 | 5 | 0.45 |
| Return (96,880 lb | 200 (acc.) | 3 | 4 | 7 | 5 | 0.45 |
| or 48.44 tons) | 1,800 | 3 | 2 | 5 | 26 | 0.79 |
|  | 400 | 3 | -5 | -2 | 33 | 0.14 |
|  | 200 (dec.) | 3 | -5 | -2 | 5 | 0.45 |

Step 6: Travel time
Step 7: Load time
Step 8: Dump time
Step 9: Turn time fill
Turn time cut
Step 10: Total cycle time scraper
3.74 min
0.80 min
0.37 min
0.21 min
0.30 min
5.42 min

Step 11: $\quad \mathrm{T}_{\mathrm{p}}=1.4(0.80)+0.25 \Rightarrow 1.37 \mathrm{~min}$
Step 12: $\quad \mathrm{N}=\frac{5.42 \mathrm{~min}}{1.37 \mathrm{~min}} \Rightarrow 3.96 \quad$ Use 4 scrapers
Step 13: 50 min per hr.
Step 14: Production
If 4 scrapers were used on the job production would be:
Production pusher (controlling) $=\frac{50 \mathrm{~min} / \mathrm{hr}}{1.37 \mathrm{~min}} \times 23.3 \mathrm{bcy} \Rightarrow \mathbf{8 5 0} \mathbf{~ b c y} / \mathbf{h r}$

